

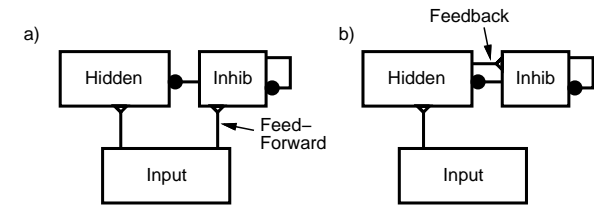
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Inhibition

- Controls activity (bidirectional excitation).
 - Competition -> selection (Darwin!).
1. Biology: Feedforward and Feedback.
 2. Critical Parameters.
 3. kWTA Simplification.

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Types of Inhibition

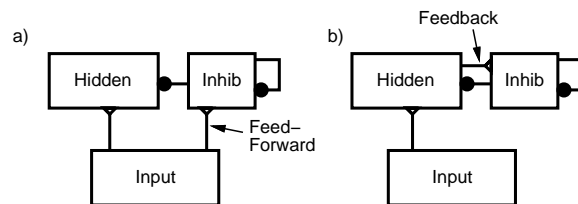


Anticipates excitation

Reacts to excitation

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Critical Parameters



- Inhib conductance into hidden units ($g_{\text{bar}_i.\text{hidden}}$)
- Inhib conductance into inhib units ($g_{\text{bar}_i.\text{inhib}}$)
- Strength of feedforward weights to inhib (scale.ff)
- Strength of feedback weights to inhib (scale.fb)

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Approximating Inhibitory Interneurons

Computationally expensive to simulate inhibitory interneurons:

- Extra units and connections.
- Slower rate constants (dt) required to avoid oscillations (many cycles of updating to process inputs).

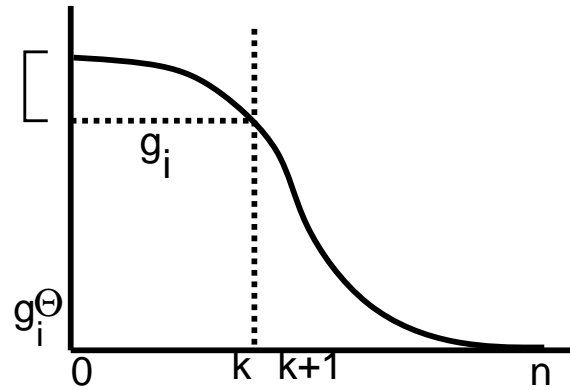
Thus, we approximate inhibition by only activating k units.

Approximates *set point* behavior.

k-Winners-Take-All (kWTA): Compute g_i such that k units are above threshold, rest below.

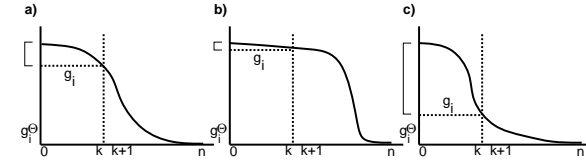
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kWTA Idea



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kWTA: Simple



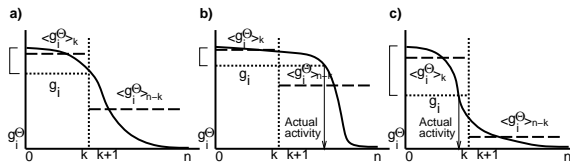
$$V_m = \frac{g_e \bar{g}_e E_e + g_i \bar{g}_i E_i + g_l \bar{g}_l E_l}{g_e \bar{g}_e + g_i \bar{g}_i + g_l \bar{g}_l} \quad (1)$$

$$g_i^\ominus = \frac{g_e \bar{g}_e (E_e - \ominus) + g_l \bar{g}_l (E_l - \ominus)}{\ominus - E_i} \quad (2)$$

$$g_i = g_i^\ominus(k+1) + q(g_i^\ominus(k) - g_i^\ominus(k+1)) \quad (3)$$

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kWTA: Average-Based



$$\langle g_i^\ominus \rangle_k = \frac{1}{k} \sum_{i=1}^k g_i^\ominus(i) \quad (4)$$

$$\langle g_i^\ominus \rangle_{n-k} = \frac{1}{n-k} \sum_{i=k}^n g_i^\ominus(i) \quad (5)$$

$$g_i = \langle g_i^\ominus \rangle_{n-k} + q(\langle g_i^\ominus \rangle_k - \langle g_i^\ominus \rangle_{n-k}) \quad (6)$$

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Simulations

1. kWTA approximates set point behavior.
2. Allows for faster updating.