## Equivalences between Traditional Statistical Tests and PRE/F* of Model C/Model A Comparisons

| Traditional Name | Equivalent Test and <br> Comments | Cont. <br> Pred. | Cat(Lev) <br> Predictor | Transform | Chapt $^{2}$ |
| :--- | :--- | :--- | :--- | :--- | :--- |
| One-Sample t-test | SQRT(F ${ }^{*}$ for Simple <br> Model $\mathrm{H}_{0}: \beta_{0}=\mathrm{B}_{0}$ | 0 | 0 | --- | 5 |
| Two-Sample t-test (independent) | $\mathrm{SQRT}\left(\mathrm{F}^{*}\right)$ for $\mathrm{H}_{0}: \beta_{1}=0$ | 0 | $\mathrm{B}: 1(2)$ <br> $\mathrm{W}: 0$ | --- | 11 |
| One-Way ANOVA | Omnibus F* | 0 | $\mathrm{B}: 1(>2)$ <br> $\mathrm{W}: 0$ | --- | 11 |
| Two-Way ANOVA | Omnibus tests for row, <br> col, and interactions | 0 | $\mathrm{B}: 2(\geq 2)$ <br> $\mathrm{W}: 0$ | --- | 12 |
| n-Way Factorial ANOVA | Many omnibus tests | 0 | $\mathrm{B}:>2(\geq 2)$ <br> $\mathrm{W}: 0$ | ---- | 12 |
| ANCOVA or Equivalence of <br> Regression Models |  | $\geq 1$ | $\mathrm{B}: \geq 1(\geq 2)$ <br> $\mathrm{W}: 0$ | --- | 13 |
| Simple Regression | $\mathrm{H}_{0}: \beta_{1}=0$ | 1 | 0 | --- | 6,7 |
| Multiple Regression (Additive) | Omnibus R2 and <br> individual PRE's | $\geq 2$ | 0 | --- | 8 |
| Multiple Regression (Interactions) | Product variables in <br> Multiple Regression | $\geq 2$ | 0 | --- | 10 |
| $\mathrm{R}^{2}$, Coef. of Multiple <br> Determination | Omnibus PRE | $\geq 2$ | 0 | --- | 8 |
| Coef. of Partial Determination | PRE for l predictor <br> Partial Correlation | $\geq 2$ | 0 | --- | 8 |

[^0]| Traditional Name | Equivalent Test and Comments | $\begin{array}{\|l\|} \hline \text { Cont. } \\ \text { Pred. } \end{array}$ | $\text { Cat(Lev) }{ }^{3}$ Predictor | Transform | Chapt ${ }^{4}$ |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Correlation | SQRT(PRE) | 1 | 0 | --- | 7 |
| Point-Biserial Correlation | SQRT(PRE) | 0 | $\begin{aligned} & \text { B: } 1(2) \\ & \text { W: } 0 \end{aligned}$ | --- | 11 |
| Spearman Rho | SQRT(PRE) | 1 | 0 | Ranks | 7,16 |
| Mann-Whitney | isomorphic to 2 -sample t independent | 0 | $\begin{aligned} & \text { B: } 1(2) \\ & \text { W: } 0 \end{aligned}$ | Ranks | 11,16 |
| Kruskal-Wallis | 1-way ANOVA | 0 | $\begin{aligned} & \mathrm{B}: 1(\geq 3) \\ & \mathrm{W}: 0 \end{aligned}$ | Ranks | 11,16 |
| Two-Sample t-test (dependent) | SQRT(F*) for Simple <br> Model $H_{0}: \beta_{0}=0$ | 0 | $\begin{aligned} & \text { B: } 0 \\ & \text { W: } 1(2) \end{aligned}$ | $\begin{aligned} & \mathrm{W}_{\mathrm{i}}= \\ & \mathrm{Y}_{\mathrm{i}, 1}-\mathrm{Y}_{\mathrm{i}, 2} \end{aligned}$ | 14 |
| One-Way ANOVA (Repeated Measures) | see Chapt. 14 | 0 | $\begin{aligned} & \text { B: } 0 \\ & \text { W: } 1(\geq 3) \end{aligned}$ | W's | 14 |
| Two-Way ANOVA (Rpeated Measures) | see Chapt. 14 | 0 | $\begin{aligned} & \text { B: } 0 \\ & \text { W: } 2(\geq 2) \end{aligned}$ | W's | 14 |
| Between-Within ANOVA | see Chapt. 14 | 0 | $\begin{aligned} & \text { B: } 1(\geq 2) \\ & \text { W: } 1(\geq 2) \end{aligned}$ | W's | 14 |
| Sign Test or Wilcoxon | isomorphic to 2 -sample t (dependent) | 0 | $\begin{aligned} & \text { B: } 0 \\ & \text { W: } 1(2) \end{aligned}$ | Ranks | 16 |
| Friedman | isomorphic to 1-way ANOVA (repeated) | 0 | $\begin{aligned} & \text { B: } 0 \\ & \mathrm{~W}: 1(\geq 3) \end{aligned}$ | $\begin{aligned} & \text { Ranks \& } \\ & \text { W's } \end{aligned}$ | 14,16 |
| Chi-Square | none | -- | --- | --- | --- |

[^1]
[^0]:    ${ }^{1} B$ represents "between-subject" categorical variables and $W$ represents "within-subject" categorical variables. The number in parentheses is the number of levels of the categorical variable.
    ${ }^{2}$ Chapter reference to Judd and McClelland (1989).

[^1]:    ${ }^{3} \mathrm{~B}$ represents "between-subject" categorical variables and W represents "within-subject" categorical variables. The number in parentheses is the number of levels of the categorical variable.
    ${ }^{4}$ Chapter reference to Judd and McClelland (1989).

